

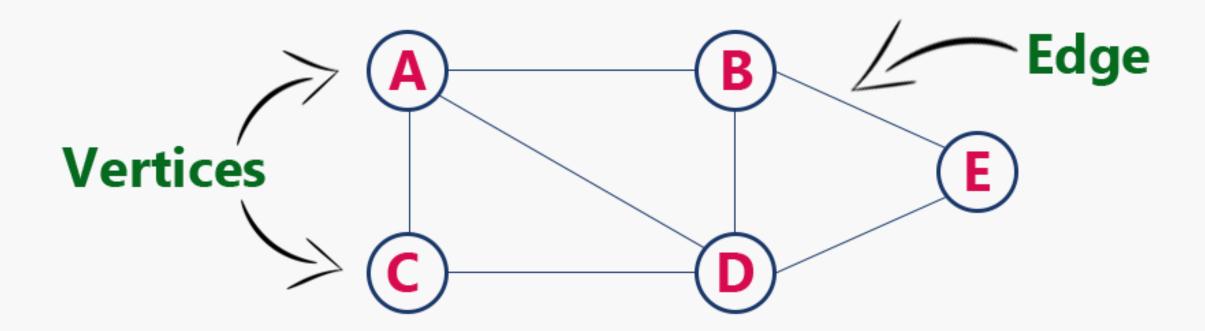


# GRAPHS 101

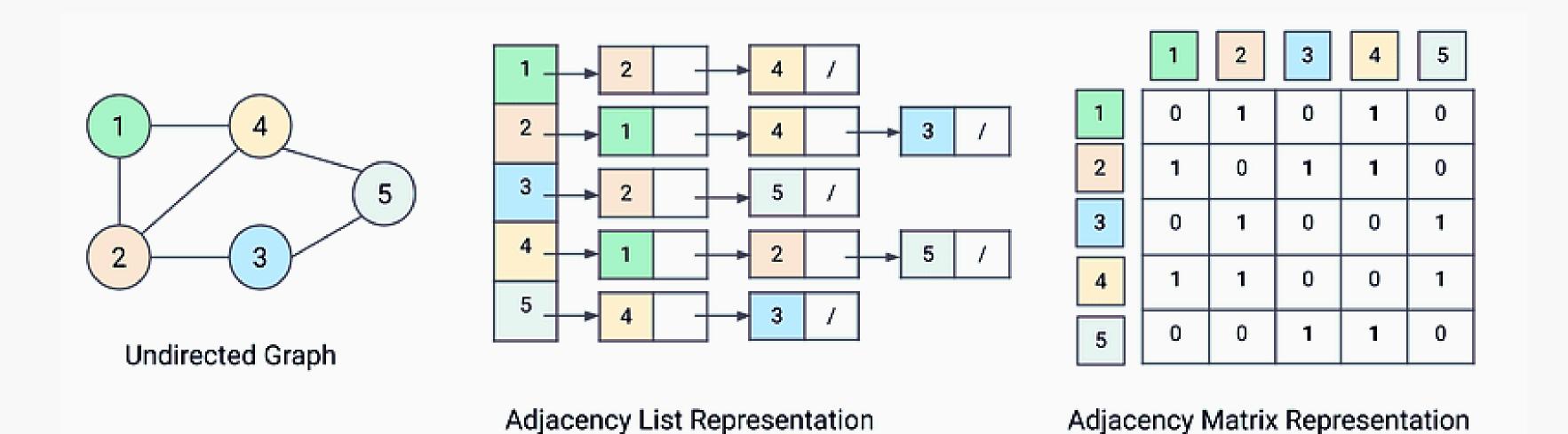
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### What are Graphs?

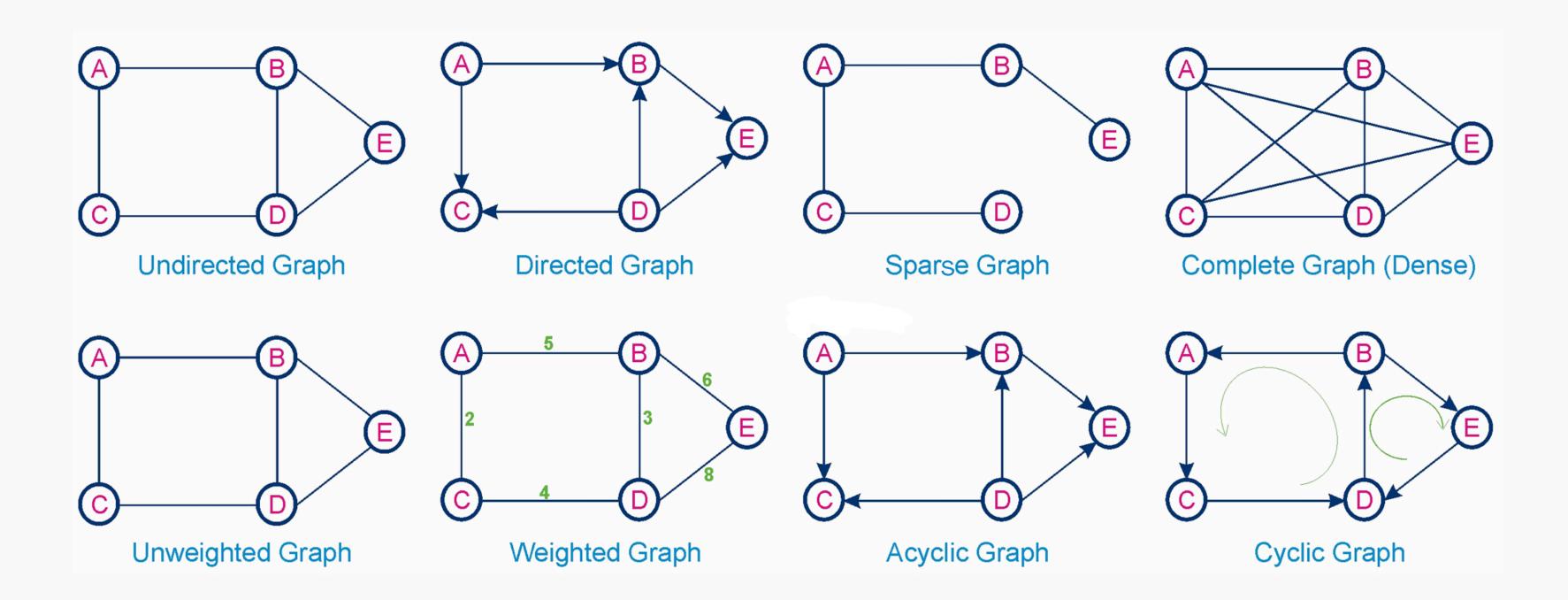
- A Graph is a Data Structure that represents relation among entities
- Graph: G(V, E), where V is the set of Vertices and E is the set of Edges



### Ways to Store/Represent a Graph



### Graph Terminology



### Graph Traversal Algorithms

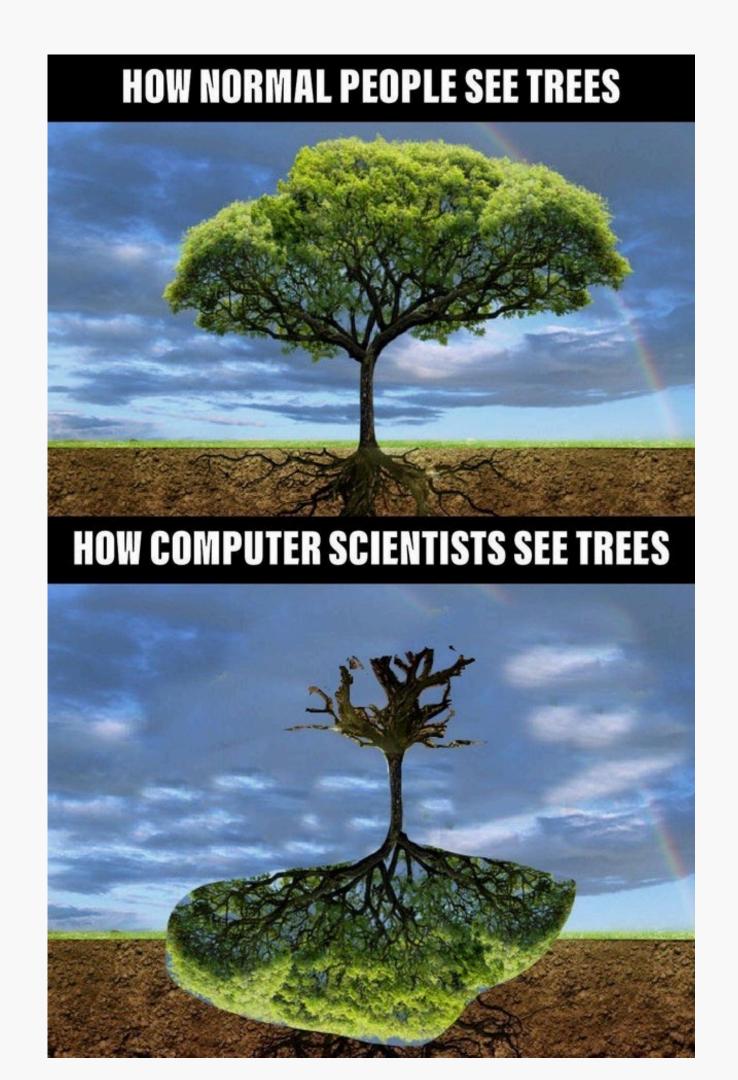
- → Breadth First Search (BFS)
  - Visits nodes layer-by-layer starting from the src
  - Used to find shortest path
  - Time complexity: O(V + E)
- → Depth First Search (DFS)
  - Visits nodes till as far as possible until all neighbours of a node are exhausted
  - Concise recursive implementation
  - Time complexity: O(V + E)

```
void bfs(Graph g, Vertex src) {
      Queue q = QueueNew();
      int *vis = calloc(GraphNumVertices(g), sizeof(bool));
      QueueEnqueue(q, src);
      vis[src] = true;
      while (QueueSize(q) > 0) {
 8
        Vertex v = QueueDequeue(q);
10
        struct adjNode *curr = g→edges[v];
11
        while (curr ≠ NULL) {
12
          Vertex w = curr \rightarrow v;
13
          if (!vis[w]) {
14
            QueueEnqueue(q, w);
15
            vis[w] = true;
16
17
18
          curr = curr→next;
19
20
21
      free(vis);
22
      QueueFree(q);
23
24 }
```

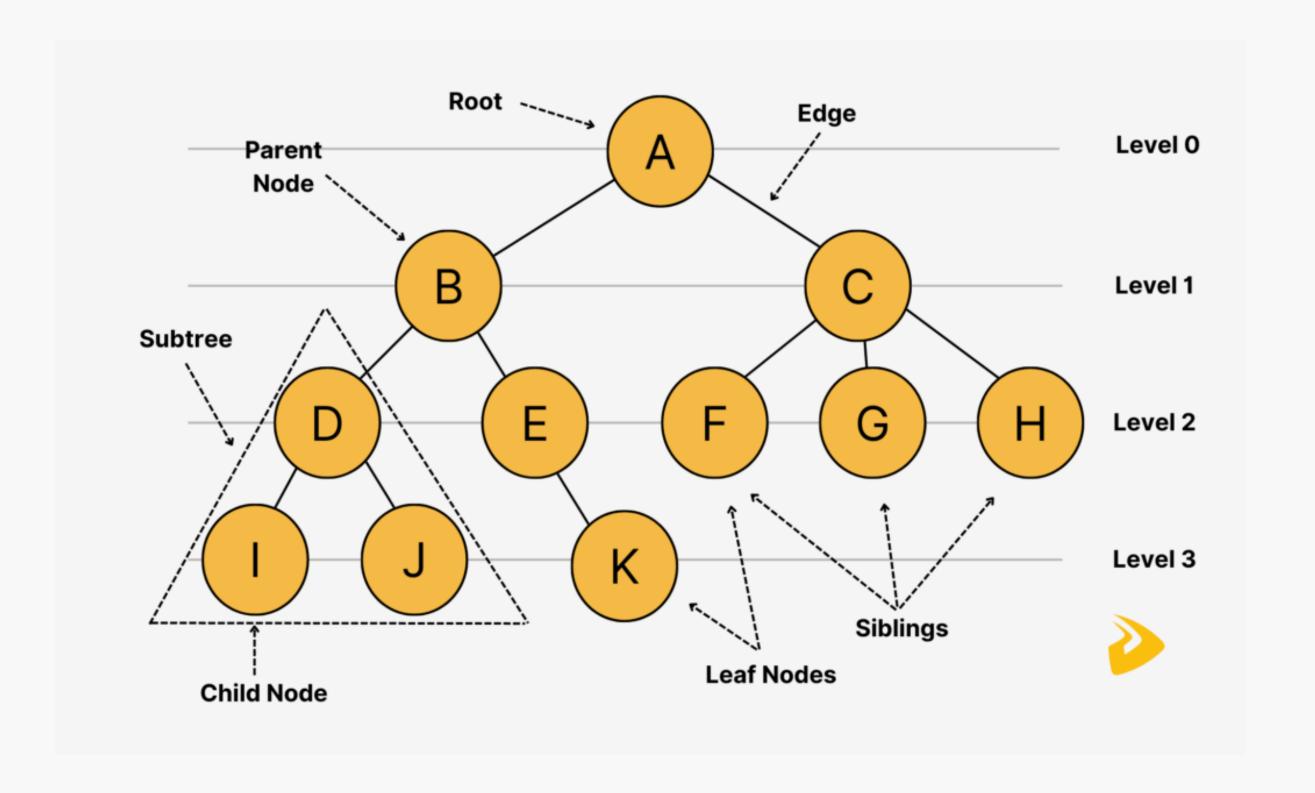
```
void dfs(Graph g, Vertex src) {
      Stack s = StackNew();
      int *vis = calloc(GraphNumVertices(g), sizeof(bool));
      StackPush(s, src);
      vis[src] = true;
      while (StackSize(s) > 0) {
 8
        Vertex v = StackPop(s);
10
        struct adjNode *curr = g→edges[v];
11
        while (curr ≠ NULL) {
12
          Vertex w = curr \rightarrow v;
13
          if (!vis[w]) {
14
            StackPush(s, w);
15
            vis[w] = true;
16
17
18
          curr = curr→next;
19
20
21
      free(vis);
22
      StackFree(s);
23
24 }
```

#### What are Trees?

A tree is a type of graph



## Tree Terminology



#### Properties of Trees

- Have n nodes and n 1 edges
- Can be hierarchical like a family tree
- Connected and acyclic
- Bipartite
- Exactly one path between any pair of nodes
- Adding any edge creates a cycle
- Similarly, removing any edge disconnects the tree

### Problem: Num of Islands

https://leetcode.com/problems/number-of-islands/description/

```
int numIslands(vector<vector<char>>& grid) {
        int n = grid.size(), m = grid[0].size(), islands = 0;
        for (int i = 0; i < n; i++) {
            for (int j = 0; j < m; j++) {
                if (grid[i][j] = '1') {
                    islands++;
 6
                    dfs(grid, i, j);
 8
 9
10
11
        return islands;
12
13
    void dfs(vector<vector<char>>& grid, int i, int j) {
14
        int n = grid.size(), m = grid[0].size();
15
        if (i < 0 || i \ge n || j < 0 || j \ge m || grid[i][j] = '0') return;
16
        grid[i][j] = '0';
17
        dfs(grid, i - 1, j);
18
        dfs(grid, i + 1, j);
19
20
        dfs(grid, i, j - 1);
        dfs(grid, i, j + 1);
21
22 }
```

